

t	Pr_t	$i p_x$	Π_t	$NPV(t) = \sum_{k=0}^t \Pi_k v_r^k$
0	-5000.00	1	-5000.00	-5000
1	2953.10	0.985	2953.10	-2315.3636
2	2133.60	0.96826	2101.65	-578.4628
3	750.60	0.94986	726.78	-32.4222
4	799.60	0.92991	759.51	486.3333
5	655.60	0.90759	609.65	864.8780

$$\begin{aligned}
 &= -5000 + 2953.1 / (1.1) \\
 &= -2315.3636 + 2101.65 / (1.1)^2 \\
 &= -578.4628 + 726.78 / (1.1)^3 \\
 &= -32.4222 + 759.51 / (1.1)^4 \\
 &= 486.3333 + 609.65 / (1.1)^5
 \end{aligned}$$

DPP=4
NPV

1) a) For the above table with $r = 0.1$, fill in the last column, find the DPP (if it exists), and find the NPV.

DPP=4, NPV = 864.8780

b) Suppose the gross premium is $G = 19500$. Find APV(gross premiums). $= G \sum_{t=0}^{n-1} v_r^t$ $\neq 0$ \swarrow group

$$19500 \left[1 + \frac{.985}{1.1} + \frac{.96826}{(1.1)^2} + \frac{.94986}{(1.1)^3} + \frac{.92991}{(1.1)^4} \right]$$

$$= 19500 (4.0445) = 78866.8596$$

c) Find the profit margin. $= \frac{NPV}{APV(\text{Premiums})} = \frac{864.8780}{78866.8596}$

= 0.01097

d) Show that the internal rate of return ≈ 0.1939 , that is show that the NPV ≈ 0 if $r = 0.1939$. $= r_{IRR}$

$$NPV = \sum_{k=0}^n \frac{\Pi_k}{(1+r)^k} =$$

$$-5000 + \frac{2953.1}{1.1939} + \frac{2101.65}{(1.1939)^2} + \frac{726.78}{(1.1939)^3} + \frac{759.51}{(1.1939)^4} + \frac{609.65}{(1.1939)^5}$$

$$= \sqrt{.1386} \approx 0$$